

SCHOOL OF TECHNOLOGY



Objectives

This work aims to provide a new visual and interactive tool that:

- Handles the vast amount of data resulting from turbulence-resolved numerical simulations (DNS or LES) of turbidity currents;
- Translates the information to a geological visual metaphor;
- Is compatible with any numerical solver or even experimental data;
- Can be employed to analyse the link between the deposition map and the turbulent flow that produced it.

Flow Configuration

• High-order solver of the incompressible Navier-Stokes equations simplified by the Boussinesq approximation Incompact3d [1, 2], designed for supercomputers, in addition to N = 7 transport equations for scalar transport:

$$\frac{\partial u_j}{\partial x_i} = 0, \tag{1a}$$

$$\frac{\partial \boldsymbol{u}_{i}}{\partial t} + \boldsymbol{u}_{j} \frac{\partial \boldsymbol{u}_{i}}{\partial x_{j}} = -\frac{\partial \boldsymbol{p}}{\partial x_{i}} + \frac{1}{Re} \frac{\partial^{2} \boldsymbol{u}_{i}}{\partial x_{j} \partial x_{j}} - Ri \delta_{i2} \sum_{\ell=1}^{N} \boldsymbol{\varphi}_{\ell}, \quad (1b)$$

$$\frac{\partial \varphi_{\ell}}{\partial t} + (\boldsymbol{u}_{j} - \boldsymbol{u}_{s,\ell} \delta_{2j}) \frac{\partial \varphi_{\ell}}{\partial x_{j}} = \frac{1}{\frac{\partial^{2} \varphi_{\ell}}{\partial x_{j} \partial x_{j}}} \qquad \ell = 1, \dots, N,$$
(1c)

being u_i the velocity field, p the pressure, φ the scalar concentration, δ the Kronecker delta, u_s the settling velocity, Re = 15,000 the Reynolds, Sc = 1 the Schmidt and Ri = 0.5 the Richardson numbers.

- LES modelling using Implicit Spectral Vanishing Viscosity (ISVV) [3].
- The computational set-up is based on the lock-release configuration [4]:



Figure 1:Flow evolution, represented by the spanwise-averaged total concentration field. Spanwise extension is $L_3 = 2$. The computational domain is discretized in $1153 \times 257 \times 121$ mesh nodes, and a time step of 1.2×10^{-3} is used for a total of 8×10^4 iterations.

Deposition layers

Deposit thickness as a function of time and the position at the bed

$$D_{\ell}(x_1, x_3, t) = \int_0^t u_{s,\ell} \varphi_{\ell}(x_1, x_2 = 0, x_3, \tau) d\tau \quad \text{and} \quad D_t = \sum_{\ell=1}^N D_{\ell} \qquad (2)$$

Grain size proportion is the ratio between individual and total deposit

$$P_{\ell} = \frac{D_{\ell}}{D_t}, \qquad \ell = 1, \dots, N \tag{3}$$

Averaged sediment diameter and its standard deviation

$$\overline{d}_s = \sum_{\ell=1}^N P_\ell \widetilde{d}_{s,\ell} \quad \text{and} \quad \sigma = \sqrt{\sum_{\ell=1}^N P_\ell (\widetilde{d}_{s,\ell} - \overline{d}_s)^2} \tag{4}$$

ESSOAr | https://doi.org/10.1002/essoar.10501304.1 | CC_BY_4.0 | First posted online: Wed, 11 Dec 2019 21:44:53 | This content has not been peer reviewed. An interactive tool for stratigraphic visualization applied to turbulence-resolved numerical simulations of turbidity currents

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Figure 2:(a) Top visualization of the deposit thickness D_t , averaged sediment diameter \overline{d}_s , standard deviation σ and mode (fraction with the higher proportion); (b) Projection visualization of the deposit thickness D_t ; (c) and (d) represent spanwise and streamwise cut, respectively, the positions are indicated in (a) as dashed lines; (e to g) Vertical samples, the positions are indicated by the dots in (a), vertical axis represents deposit thickness D_t and horizontal axes the grain size proportion P_ℓ , mode and standard deviation σ .

Results

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Summary and Conclusions

Turbulence-resolved numerical simulations of poli-disperse particle-laden gravity currents produce a considerable volume of data with high spatiotemporal resolution. In this work, we presented how to stack the near-bed concentration field and convert it to deposit thickness in addition to vertical detailing (Eqs. 2 to 4). This information can be presented with the visual resemblance of a stratigraphic image, showing how the deposition map evolves in time and space. Figure 2 presents a prototype produced by Matplotlib, a Python plotting library. Results show a noticeable variation in deposit thickness and the other properties, besides, a normally graded bed was formed from the lock-release flow configuration. However, due to the large amount of data from rendering all the visualization into static images, this prototype is expensive in terms of storage. An optimized strategy is to store pre-calculated data using a relational database and dynamically generate the visualizations using javascript. This approach will also enable improvements in user interaction, besides, it will be released together with [5]. Moreover, additional flow configurations might be investigated in this context, for instance, the plunging of an hyperpicual flow in a tilted bed [6], or the finite-release in a basin configuration [7].

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